

# Can technical improvement in motor vehicles reduce refined fuels use?

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# Objective of the study

## **Modelling energy intensive services: the case of private transport**

- Consumption models treat physical energy as if it was consumed directly by households.
- However, households typically use physical energy in combination with other inputs to 'produce' energy services, such as private transport.

## **Impact of technical progress**

- Technical progress is a major contributor of economic growth, and can deliver reduction in physical energy use.
- Technical progress can happen in both refined fuels and motor vehicles. This study focuses on vehicle augmenting technical progress.

# The study

## Partial equilibrium

- We develop a simple partial equilibrium model where households 'self produce' private transport using refined fuels and motor vehicles.
- We use a diagram to assess the impact of vehicle saving technical improvement on refined fuels use.

## General equilibrium

- We incorporate the partial equilibrium model above into a CGE for the UK.
- We assess the impact of an illustrative technical improvement in motor vehicles use on refined fuels.
- We assess the system wide impact of such technical improvement.

## The basic setting

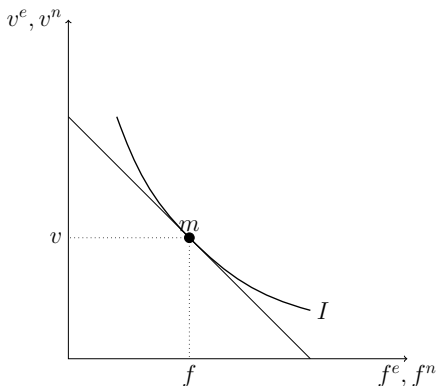
$$\begin{aligned} \max m &= m(v^e, f^e) \\ \text{subject to} \\ p_f^n f^n + p_v^n v^n - y &\geq 0 \\ \text{where} \\ z^e &= \varepsilon^z z^n \text{ and} \\ p_z^e &= \frac{p_z^n}{\varepsilon_z} \text{ for } z = (f, v) \end{aligned}$$

$m$  = motoring  
 $v$  = motor vehicles  
 $f$  = refined fuels  
 $e$  = efficiency units  
 $n$  = natural units  
 $\varepsilon$  = efficiency parameter

## Solving

$$\frac{\partial m}{\partial z^n} = p_z^n = \frac{\partial m}{\partial z^e} \varepsilon_z$$

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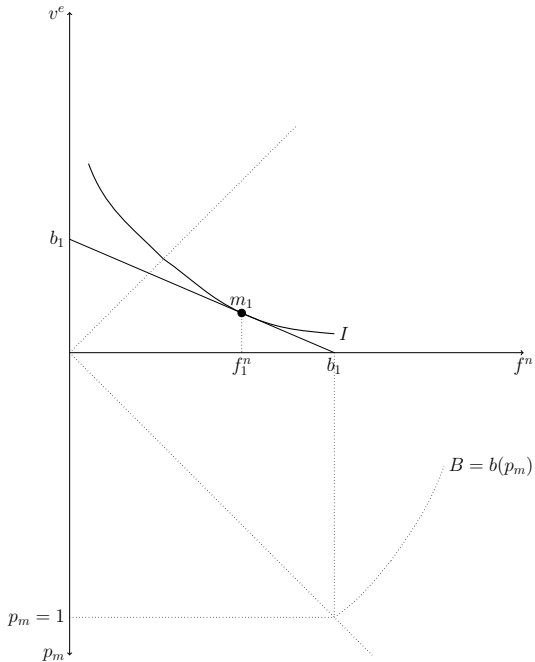
# Technical progress

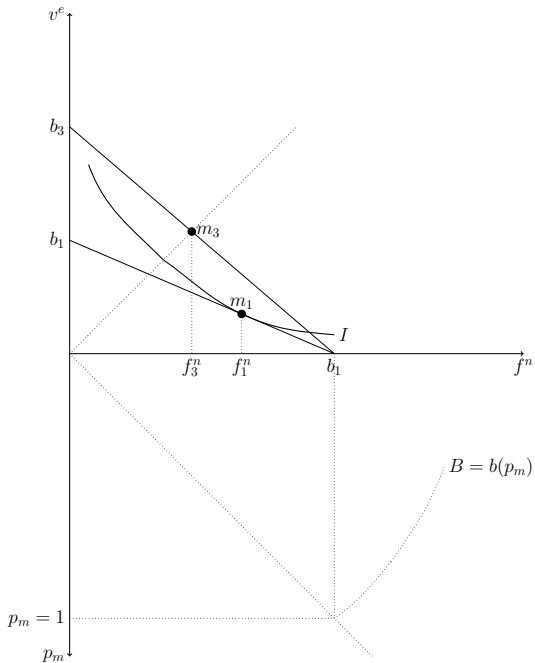
## What do we mean by vehicle augmenting technical progress?

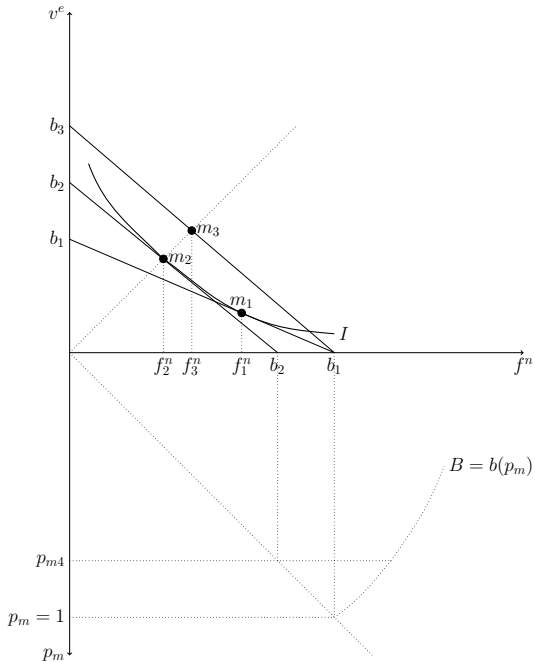
A technical change that improves the vehicle's **durability**, thereby reducing **maintenance** and **depreciation** costs, but has no direct impact on fuel efficiency.

## How does this impact fuel use?

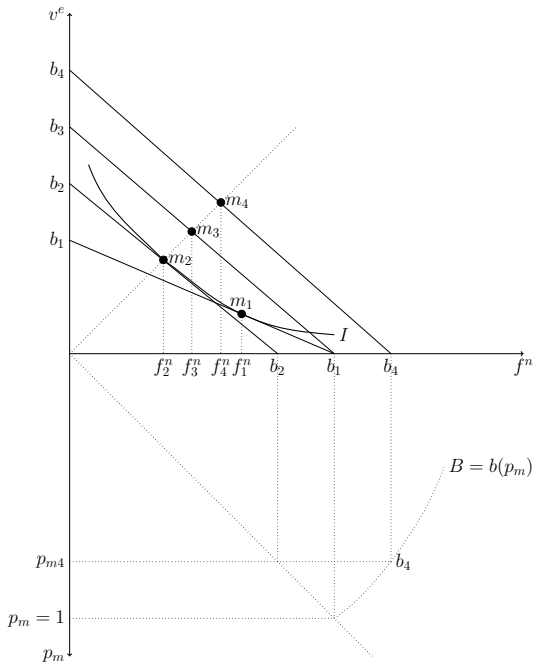
- impact will depend on the elasticity of substitution between vehicles and fuels  $\sigma_{v,f}$
- it will also depend on the elasticity of demand for private transport, or  $\sigma_{m,a}$ .











# General equilibrium

## Why do we need a general equilibrium approach?

- ① Apply the model using data from the real world.
- ② Assess the impact of endogenous market prices and nominal income.
- ③ Assess the system wide impact of technical improvement in motor vehicles.

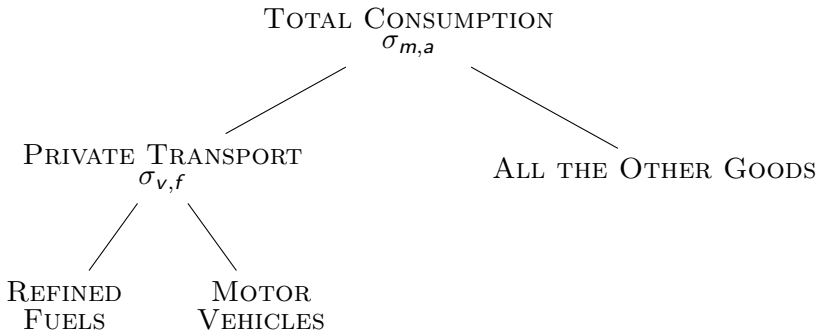
# The UK-ENVI CGE model

## key features of the UK-ENVI CGE model

- Single region dynamic model, with myopic or forward-looking consumption and investment.
- KLEM production function.
- Capital accumulates via investment.
- Fixed labour supply, with unemployment pool, and different labour marked closures.
- We explore fixed real wage closure and wage curve.
- Consumption is allocated between **private transport** and all **other goods**, and **private transport** is composed of **motor vehicles and refined fuels**.

# The structure of consumption

Figure: The structure of consumption



# Results central case scenario

Table: **Percentage change from the baseline**

	A	B
<b>ELASTICITIES</b>		
$\sigma_{m,a}$	1.5	0.5
$\sigma_{v,f}$	1.2	1.2
<b>PRICES</b>		
Price of fuel	0.00	0.00
Price of vehicles	0.00	0.00
Price of vehicles eff units	-10.00	-10.00
Price of transport	-3.67	-3.67
<b>HOUSEHOLD CONSUMPTION</b>		
Fuels	1.18	-2.51
Motor vehicles	3.12	-0.64
Private transport	5.82	1.97
All other goods	-0.05	0.04
Vehicles intensity in transport	1.16	1.16
Fuels intensity in transport	-0.75	-0.74
<b>MACROECONOMIC EFFECTS</b>		
GDP	-0.02	0.02
CPI	0.00	0.00
Real wage	—	—
Household consumption	-0.02	0.01
Exports	0.00	0.00

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# Conclusions

- Properly modelling energy intensive services is important for the analysis of actions aimed at reducing fuel use.
- Technical progress in the other input to an energy service does influence energy use.
- This technical progress can potentially reduce fuel use and stimulate the economy.
- This modelling framework can capture the implicit price of energy services and use it in the *cpi* calculation.

# Thank You for Your Attention